

# Discussion of *“Competition and Incentives in Mortgage Markets: The Role of Brokers”*

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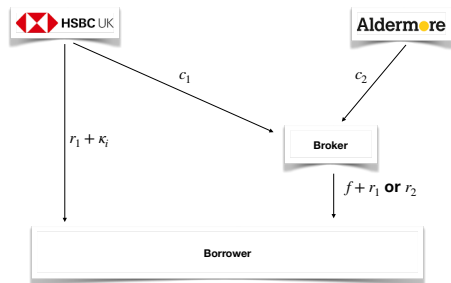
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- Estimate a model of demand and competition between banks with different levels of vertical integration (brokers)
- **Goal:** Quantify the impact of vertical integration and (wholesale) discrimination on market-power and efficiency

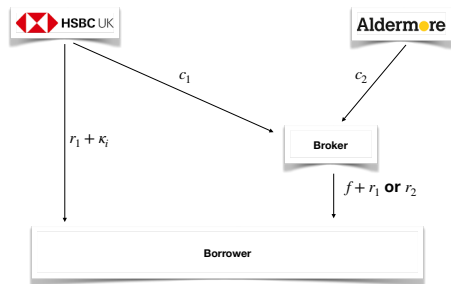
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- **Goal:** Quantify the impact of vertical integration and (wholesale) discrimination on market-power and efficiency
- **Data:** (i) commissions (upstream prices), (ii) shopping mode choice, (iii) retail prices and fees (downstream prices), and (iv) vertical network
- **Model highlights:**
  - ▶ Resale price maintenance (sort of)
  - ▶ Price discrimination (commissions)
  - ▶ Agency problems
  - ▶ Bargaining: Relax price-taking assumption

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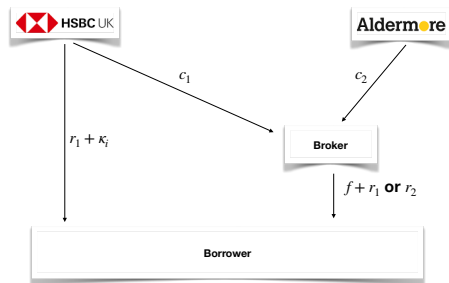


- **Competition:** Provide access to “mortgage specialists”
- **Transaction cost:** ↓ shopping cost  $\kappa$
- **Efficiency:** Lower origination cost (mostly)
- **Agency problem:** Distorts lender/product choice

$$y_i = \begin{cases} 1 & \text{if } -\theta r_1 + (1 - \theta)c_1 > -\theta r_2 + (1 - \theta)c_2 \\ 2 & \text{Else.} \end{cases}$$

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- **Bottom line:** Brokers ↓ market-power and ↑ consumer surplus (vertical integration is bad!)

# Demand and Shopping Mode Choice

- Lender/product choice: Direct and Broker channels

$$P_{ij}^d = \frac{\exp(\delta_j - \alpha r_j + \lambda \text{Branches}_{ij} - \kappa_i)}{\sum_{j'} \exp(\exp(\delta_{j'} - \alpha r_{j'} + \lambda \text{Branches}_{ij'} - \kappa_i))}$$

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- ▶ Common search cost  $\kappa_i \rightarrow$  Does not affect lender/product choice
- ▶  $\theta > 0$  allow small banks to “steer” business away from large banks
- ▶ What is the reference group normalization (i.e. no outside option)?

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- **Implication 1:** No selection on *unobservables*
    - ▶ Consumers choose Broker if  $\kappa_i > \bar{\kappa}$
    - ▶  $\bar{\kappa}$  is independent of unobserved “taste” for lenders/products
    - ▶ Allow sequential estimation of  $(\delta, \alpha, \lambda)$ ,  $(\delta^b, \theta, \alpha^b)$  and  $F(\kappa)$



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- **Implication 2:** IIA substitution patterns across loan types/lenders
  - ▶ Unappealing substitution across loan sizes (LTV) and terms

## Price (rate) competition

- Given commissions, banks compete in rates (assuming one product per lender):

$$\max_{r_j} F(\hat{\kappa}) D_j^d(r_j, r_{-j})(r_j - mc_j^d) + (1 - F(\hat{\kappa})) D_j^b(r_j, r_{-j})(r_j - mc_j^b - c_j)$$

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$$r_j = AMC_j + \text{Markup}_j$$

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→ Weights depend on demand/prices

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- Potential concerns:
  - Simultaneity problem (paper uses rival shares as IVs)
  - Unobserved cost differences between  $d$  and  $b$ ?

# Commission bargaining

- Nash-in-Nash:

$$\max_{c_{jb} \in [\underline{c}_{jb}, \bar{c}_{jb}]} [\pi_j(c_{jb} | \mathcal{B}_j) - \pi_j(\mathcal{B}_j \setminus b)]^{\beta_{jb}} [W_b(c_{jb} | \mathcal{L}_b) - W_b(\mathcal{L}_b \setminus j)]^{1 - \beta_{jb}}$$

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- Estimation:
  - ▶  $\beta_{jb}$  is “inverted” from the FOCs ( $\approx J \times B$ ) (as in Grennan)
  - ▶ Stackelberg: How is the pass-through matrix  $dr_k/dc_{jb}$  incorporated?
  - ▶ Participation: Are there “broken” links? If so, does this violate the N-in-N assumption?



## Additional comments/suggestions

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- Price elasticity: Fees vs Rates
  - ▶ Rates determine monthly payments (discounted)
  - ▶ Fees are paid upfront
  - ▶ Might want to estimate two separate price coefficients

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- There is a lot of moving pieces...
  - ▶ *Product choice*: Why not take the LTV/term choice as given, and focus solely on the lender/broker choice? What about the cost of mortgage insurance?
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- Clarify identification of cost difference between broker/direct
  - ▶ Alternative strategy: Infer cost difference from commission choice
  - ▶ Use common Nash-bargaining parameter
  - ▶ Similar to Gowrisankaran, Nevo and Town (AER, 2015)