



A Structural Analysis of Detailing, Publicity and Correlated Learning: The Case of Statins

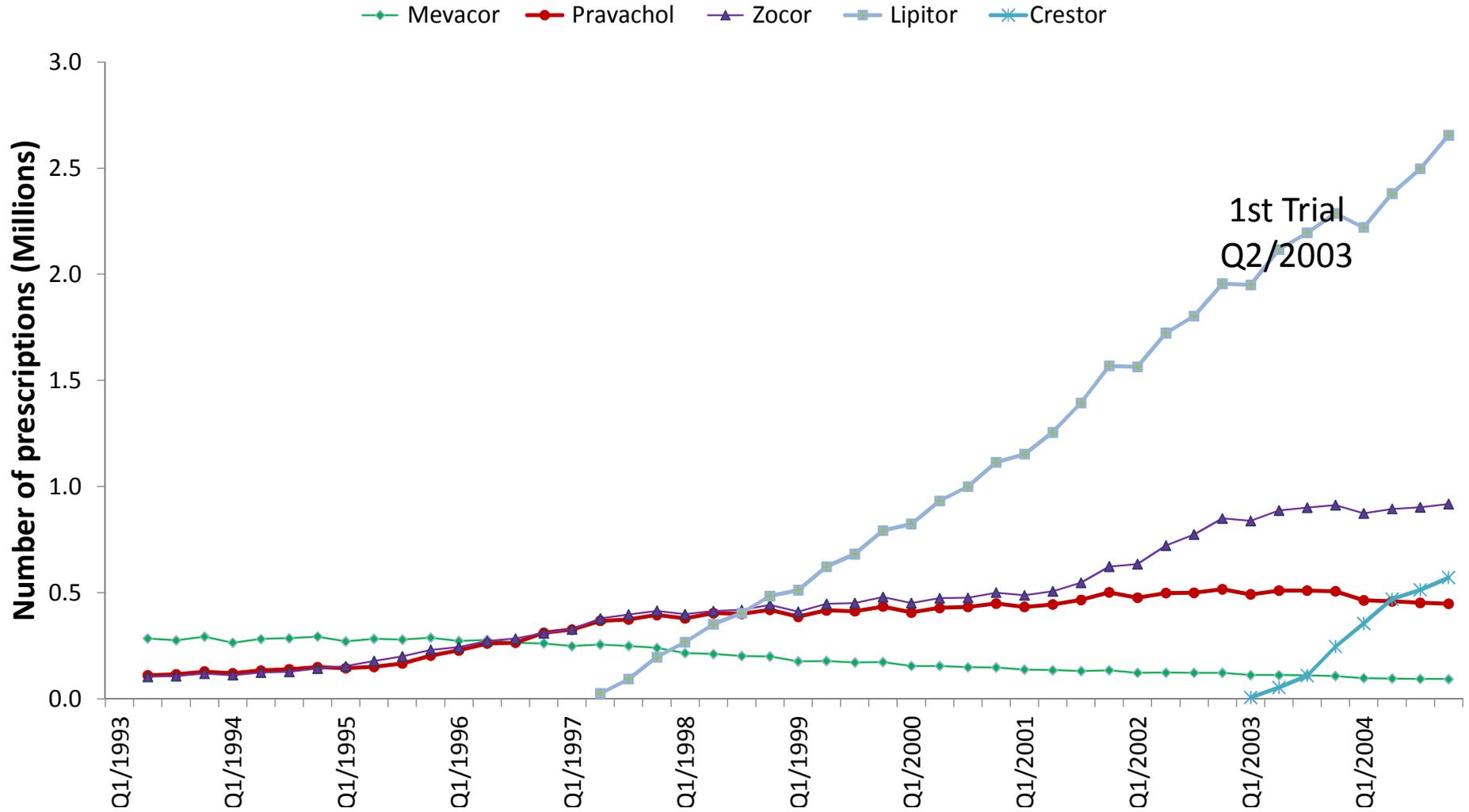
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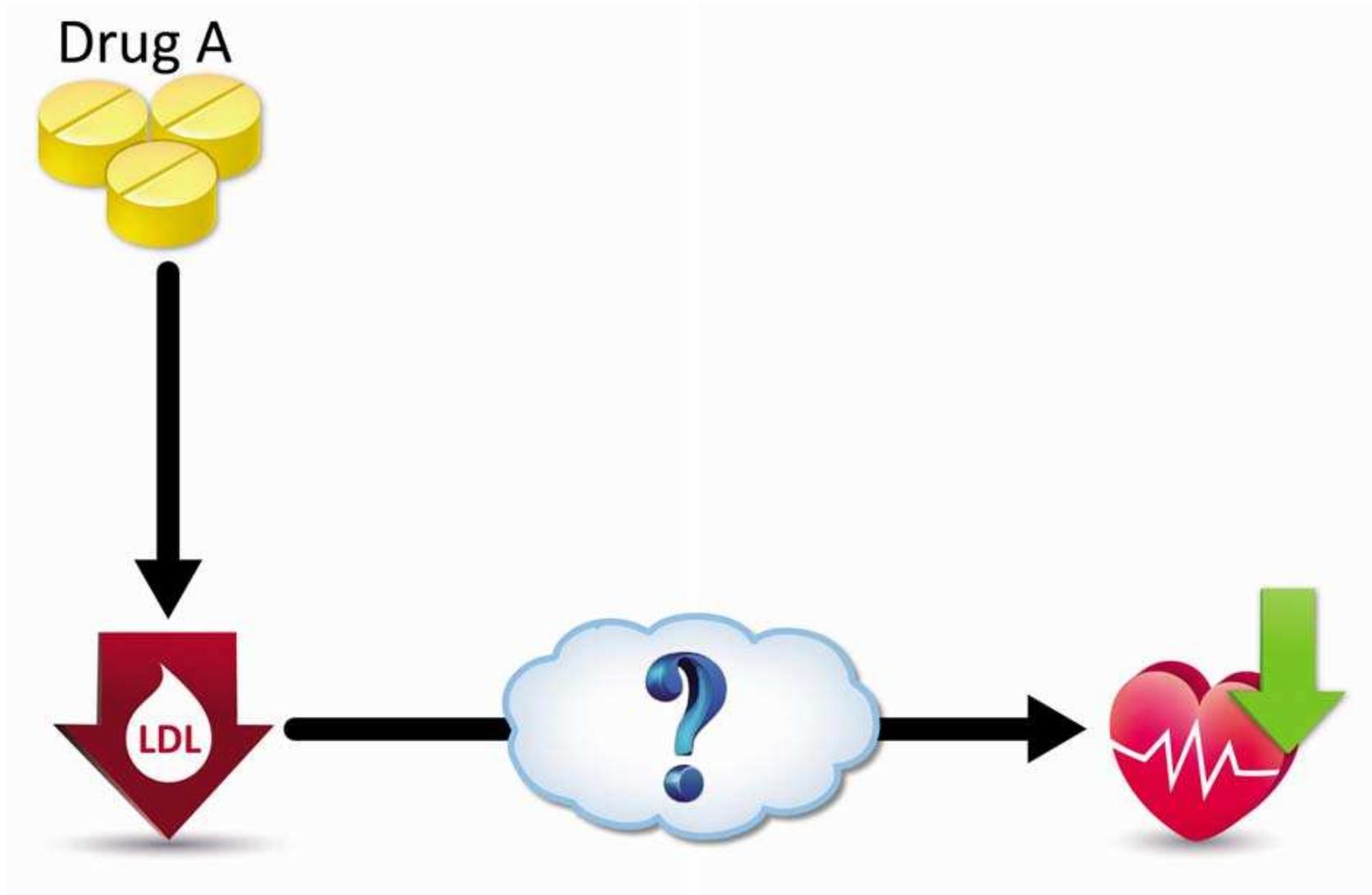
Motivation

Introduction Data Model Results Conclusion



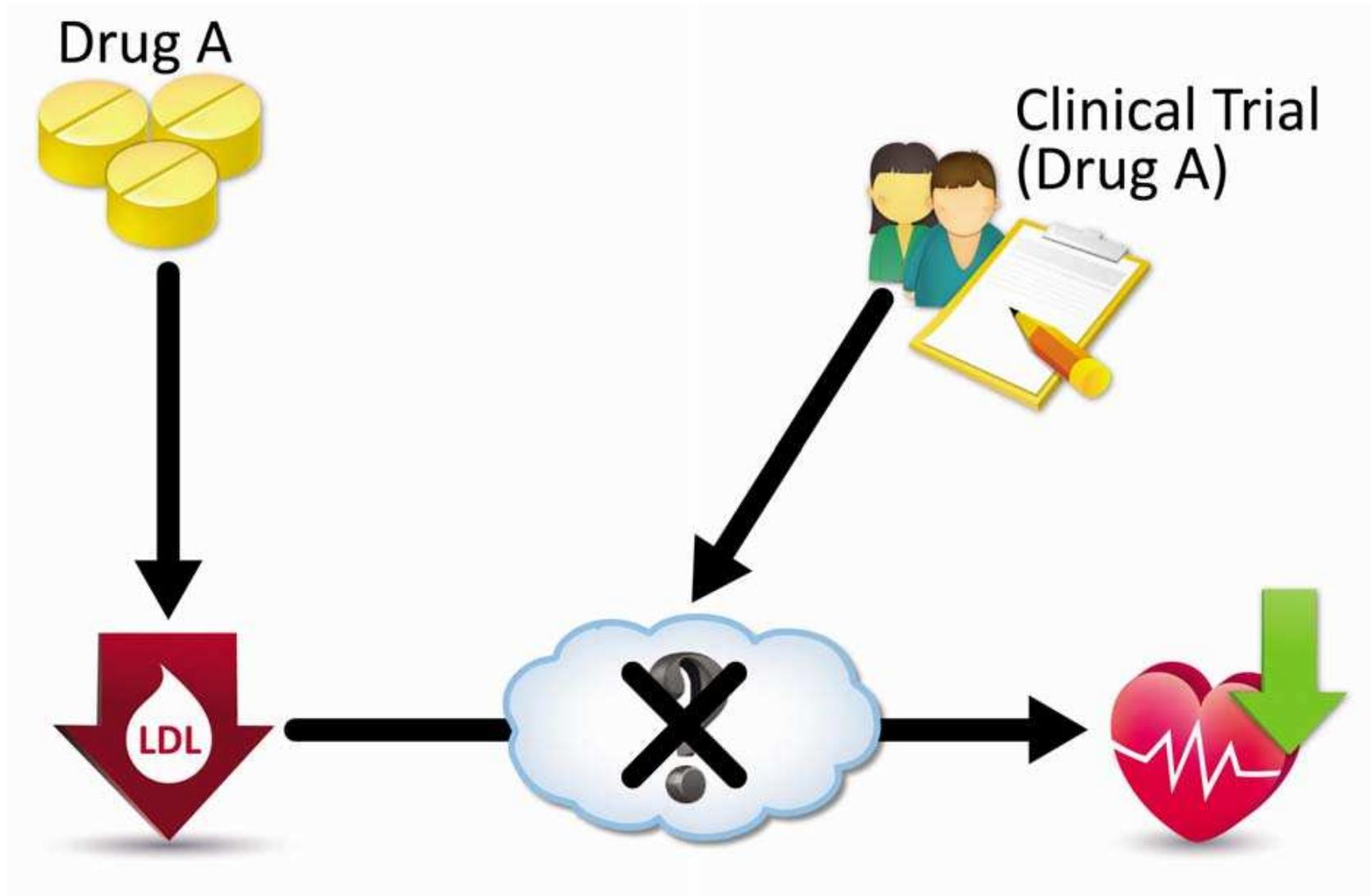
Correlated Learning

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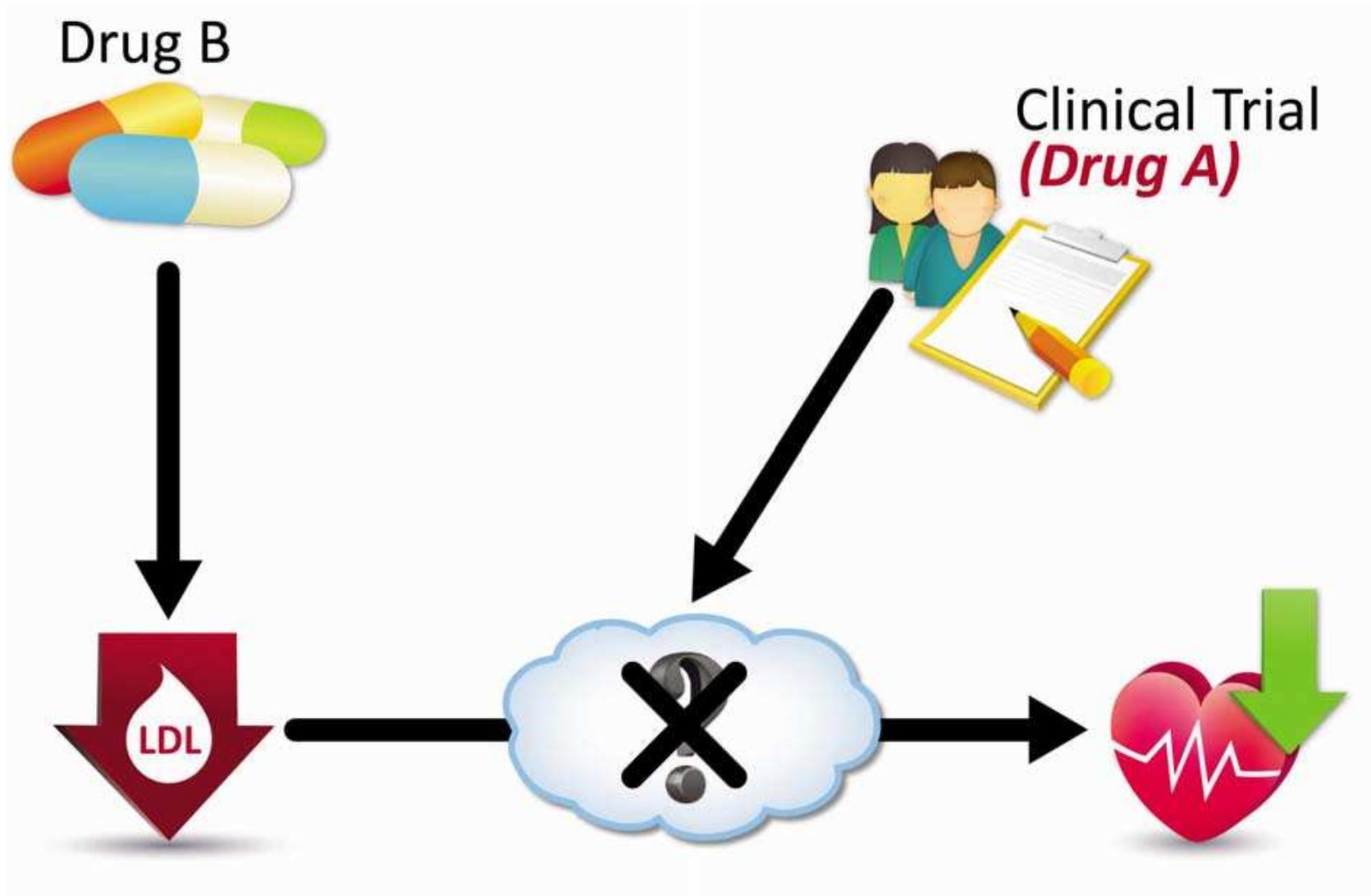
Correlated Learning

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Correlated Learning

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Research Objectives

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- Develop a demand model with correlated learning across brands within a category
- Quantify the extent of correlated learning using data on market shares and quality signals (landmark clinical trials)
 - ◆ Quantify the late mover advantages
- Taking the presence of switching costs into consideration by employing switching rate data



Sales and Detailing Data



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- Quarterly Canadian data for each statin between Q2 1993 and Q4 2004 from IMS Canada
 - ◆ Prescription volume, Detailing
- Quarterly data on switching between Q2 1993 and Q4 2004 from Ontario Health Insurance Program (OHIP)
 - ◆ % of statin users who switch from a given statin to another statin (2.10% on average) → Switching costs exist.



Landmark Clinical Trials

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- It is very difficult for physicians to learn about drugs' efficacy in heart disease risks from patient's feedback.
- Collect 12 landmark clinical trials reporting the efficacy of statins in reducing heart disease risks between 1993 and 2004.
- The number of patients consists of 2,000 to 10,000 and the follow-up period ranges from 2 to 6 years.
- They provide observable signals (to researchers) on how efficient a statin is in reducing heart disease risks.



Publicity Data

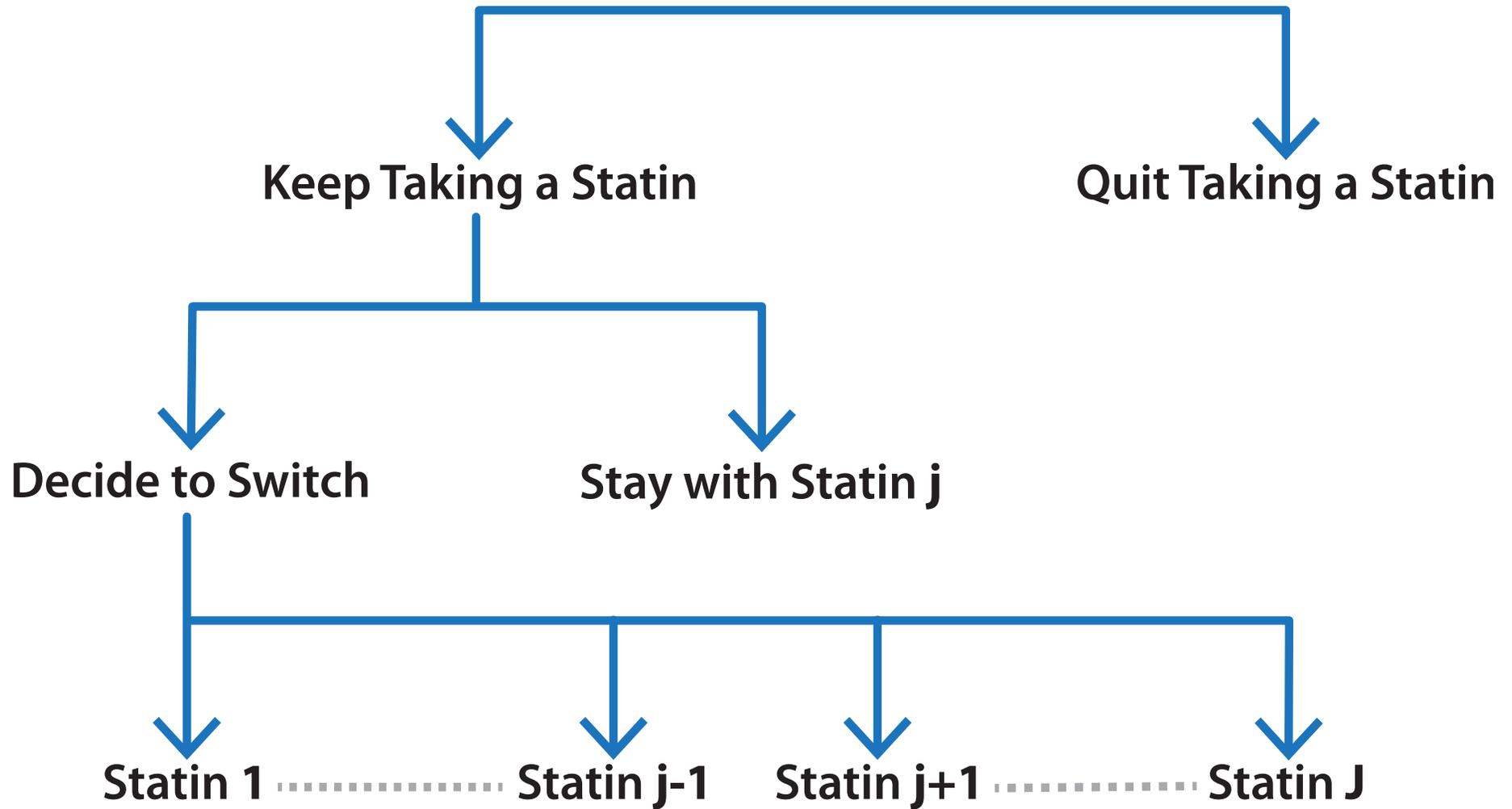


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- 2,754 articles mentioning “statin” from “Canadian Accessible Sources” in Factiva between year 1986 and 2004
- Classify articles along three dimensions
 1. Lowering cholesterol levels (short-term efficacy)
 2. Reducing heart disease risks (long-term efficacy)
 3. Side effects
- Try to overcome the ambiguity of single dimensional coding scheme
- Details are provided in Ching, Clark, Horstmann and Lim (2012)

Decision Process of Existing Patient

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Efficacies of Statins

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- q_j^c denotes the true efficacy in lowering cholesterol levels of drug j
 - ◆ The efficacy in lowering cholesterol levels is known to physicians
 - ◆ A meta-analysis provides such information
- q_j^h denotes the true efficacy in reducing heart disease risks of drug j
 - ◆ The efficacy in reducing heart disease is uncertain to physicians
 - ◆ Physicians learn about this efficacy from landmark clinical trials

Learning about Heart Disease Risks

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Let q_j^h be the true efficacy in reducing heart disease risks of drug j

$$q_j^h = q_j^c \cdot \beta_j,$$

where q_j^c is the efficacy in lowering cholesterol levels and β_j is the “efficiency ratio”.

Initial Prior Beliefs

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Initial prior beliefs on “efficiency ratio” are constructed as follows (before any landmark trials are available)

$$\begin{pmatrix} \beta_1 \\ \beta_2 \end{pmatrix}_{t=0} \sim N \left(\begin{pmatrix} \underline{\beta} \\ \underline{\beta} \end{pmatrix}, \sigma_{\beta}^2 \begin{pmatrix} 1 & \rho_0 \\ \rho_0 & 1 \end{pmatrix} \right),$$

where $\underline{\beta}$ is the mean initial prior belief about the efficiency ratio of each statin.



Quality Signal



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Let β_j be the true mean level of the efficiency ratio for drug j . A noisy but unbiased observable signal from clinical trial l for drug j is

$$\tilde{\beta}_{jl} = \beta_j + \zeta_l$$

where $\zeta_l \sim N(0, \sigma_\zeta^2/N_l)$ and N_l denotes the number of patients who participate in landmark clinical trial l .

Updating Process for Drug 2

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Assume that a physician learns about clinical trial l for drug 1 at time t . Her posterior belief on the efficiency ratio of drug 2 is

$$\beta_{2t+1} = \beta_{2t} + \frac{\pi_t}{\sigma_{\beta_{2t}}^2 + \sigma_{\zeta_{1l}}^2} (\tilde{\beta}_{1l} - \beta_{1t})$$

where π_t is the covariance in prior beliefs about “efficiency ratio” of drug 1 and 2 at time t .

Her posterior variance on the efficiency ratio of drug 2 is

$$\sigma_{\beta_{2t+1}}^2 = \sigma_{\beta_{2t}}^2 - \frac{\pi_t^2}{\sigma_{\beta_{2t}}^2 + \sigma_{\zeta_{1l}}^2}$$

Informative Detailing and Publicity

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- The probability that a physician will learn the most updated clinical information about drug j at time t is

$$P_{info}(detail_{jt}, PUB_{jt}) = \frac{\exp(\alpha_0 + \alpha_d \cdot detail_{jt} + \alpha_p \cdot PUB_{jt})}{1 + \exp(\alpha_0 + \alpha_d \cdot detail_{jt} + \alpha_p \cdot PUB_{jt})}$$

where $detail_{jt}$ is detailing spending for drug j at time t ; PUB_{jt} denotes a vector of three dimensional (lc , rh and se) brand specific publicity variables for drug j at time t .



Types of Physicians

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- If there are n_t clinical trials up to time t , theoretically there will be 2^{n_t} types of physicians at time t . ($n_t = \sum_{j=1}^J n_{jt}$)
- To simplify the model, I assume that if a physician learns about a clinical trial for drug j at time t , she will learn about all the published clinical trials for drug j prior to time t .
- Then, the number of physician types reduces to $(n_{1t} + 1) \cdot (n_{2t} + 1) \cdots (n_{Jt} + 1)$ under this assumption where n_{jt} denotes the number of clinical trials for drug j up to time t .

Utility Function

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Let patient i 's utility of consuming statin j at time t be

$$U_{ijt} = \omega \cdot q_j^h + b_j + \epsilon_{ijt},$$

where q_j^h denotes drug j 's efficacy in reducing heart disease risks; b_j captures time-invariant brand specific preference.

Physician k 's expected utility of prescribing drug j to patient i at time t becomes

$$E[U_{ijt}^k | I^k(t)] = \omega \cdot E[q_j^h | I^k(t)] + \kappa_d \cdot STK_detail_{jt} + b_j + \epsilon_{ijt},$$

where STK_detail_{jt} is a persuasive detailing goodwill stock for drug j at time t .

Estimation

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- The total demand for drug j at time t is expressed as follows.

$$d_{jt} = \hat{d}_{jt}^1 + \hat{d}_{jt}^2 + \hat{d}_{jt}^3 + e_{jt}$$

where \hat{d}_{jt}^1 , \hat{d}_{jt}^2 , \hat{d}_{jt}^3 are estimated demand for drug j at time t from “new patients”, “switchers” and “retainers”, respectively; e_{jt} is a measurement error.

- Estimate the model using Maximum Likelihood.



Identification

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- Correlated Learning

- ◆ Sales changes after a clinical trial is released identify correlated learning parameters.

- Informative Detailing

- ◆ Variations in sales and detailing before and after each clinical trial release identify the informative effects.

Result Tables(1)

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	Estimates	S.E.
Learning Parameters		
β (Initial Prior Belief on Efficiency Raito)	0.1132	0.0596
σ_{β}^2 (Initial Prior Variance on Efficiency Raito)	1.0000	
σ_{ζ}^2 (Signal Variance from 1,000 Patients)	6.0353	0.9996
ρ_0 (Correlation Term in Initial Prior)	0.6578	0.2634
Statin Choice Stage, Utility Parameters		
α_0 (Constant)	-8.0521	0.9993
α_d (Informative Detailing)	3.4070	1.0096
α_{lc} (Brand Specific Publicity in Lowering Cholesterol Levels)	0.3661	0.2702
α_{rh} (Brand Specific Publicity in Reducing Heart Disease Risks)	0.3514	1.0335
α_{se} (Brand Specific Publicity in Side Effects)	-0.0184	1.0018
ω (Coefficient of Perceived Quality)	1.1112	0.6330
κ_d (Persuasive Detailing)	0.0120	0.0042
Brand Dummies		
Pravachol	0.8696	0.3887
Zocor	0.9702	0.3859
Lipitor	1.0990	0.5409
Crestor	0.2380	0.7339
Log Likelihood		-2064.56

Estimates shown in bold are significant at 5% level.

Results Tables(2)

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	Estimates	S.E.
Adoption Decision Stage Parameters		
α^s_0 (Market Expansion Stage Constant)	-5.2073	0.2441
α^s_c (Clinical Trial * Aggregate Detailing Stock)	0.0111	0.0085
α^s_d (Aggregate Detailing Stock)	0.0082	0.0011
α^s_{lc} (General Publicity Stock in Lowering Cholesterol Levels)	0.3661	0.2702
α^s_{rh} (General Publicity Stock in Reducing Heart Disease Risks)	0.3514	1.0335
α^s_{se} (General Publicity Stock in Side Effects)	-0.0184	1.0018
Additional Parameters		
δ^s_d (Carryover Rate of Detailing in Adoption Decision)	0.9720	0.0060
δ^s_p (Carryover Rate of Publicity in Adoption Decision)	0.7375	0.0432
δ_i (Carryover Rate of Information in Statin Choice)	0.7028	0.2102
δ_p (Carryover Rate of Persuasive Detailing in Statin Choice)	0.8878	0.0466
Standard Deviation of e_{jt} (in Hundred Thousand)	0.3213	0.0207
Log Likelihood	-2064.56	

Estimates shown in bold are significant at 5% level.



Results

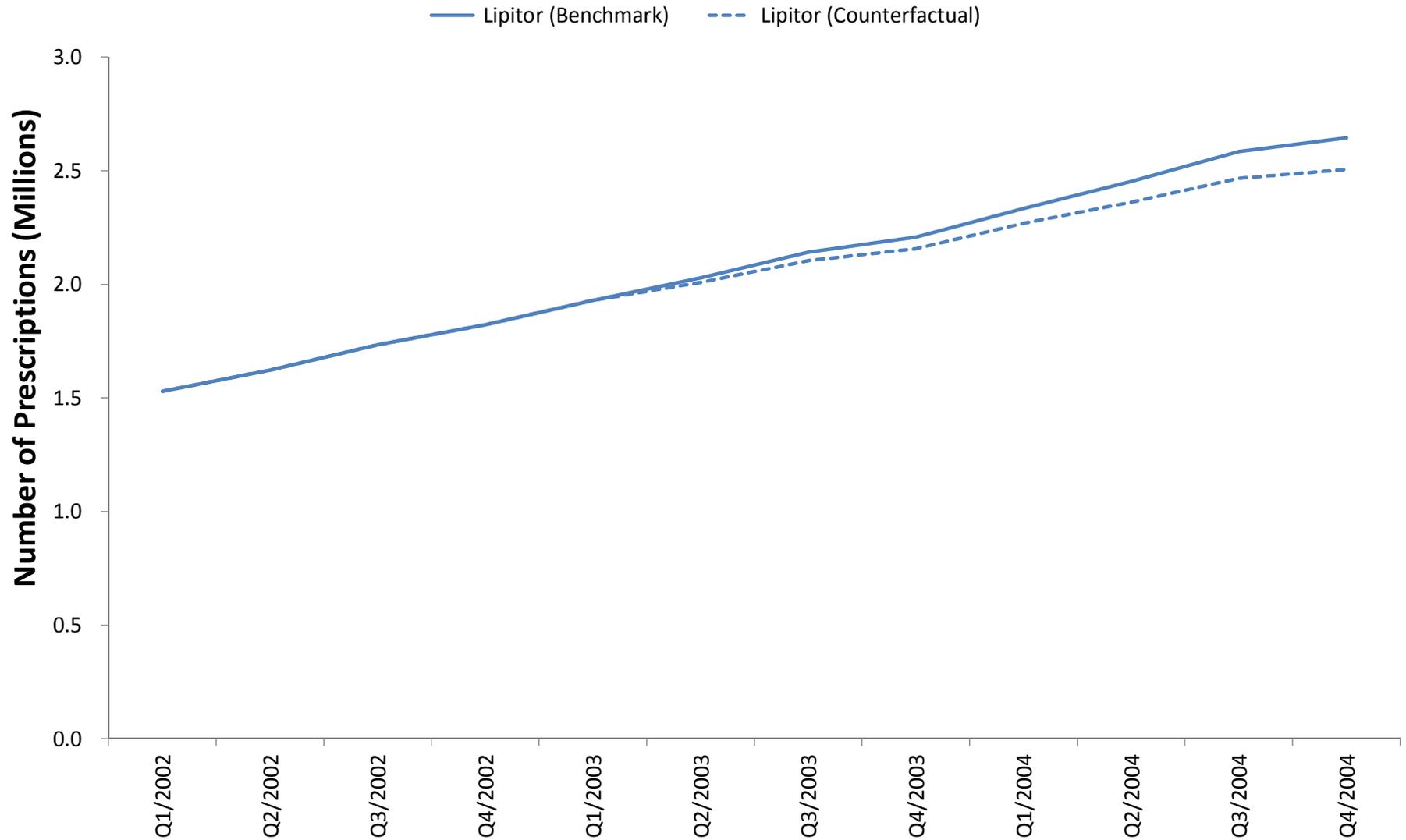


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- The estimate of the correlated learning parameter (ρ_0) is 0.658, which suggests a partial information spill-over.
- The estimates of both persuasive (κ_d) and informative (α_d) detailing parameters are positive and significant.
- The information carryover rate of physicians (δ_p) is 0.89 per quarter.
- Publicity in reducing heart disease risks (α_{rh}) has a significant impact on updating physicians about clinical trial information.
- Only aggregate detailing stock (α_d^s) matters in adoption stage.

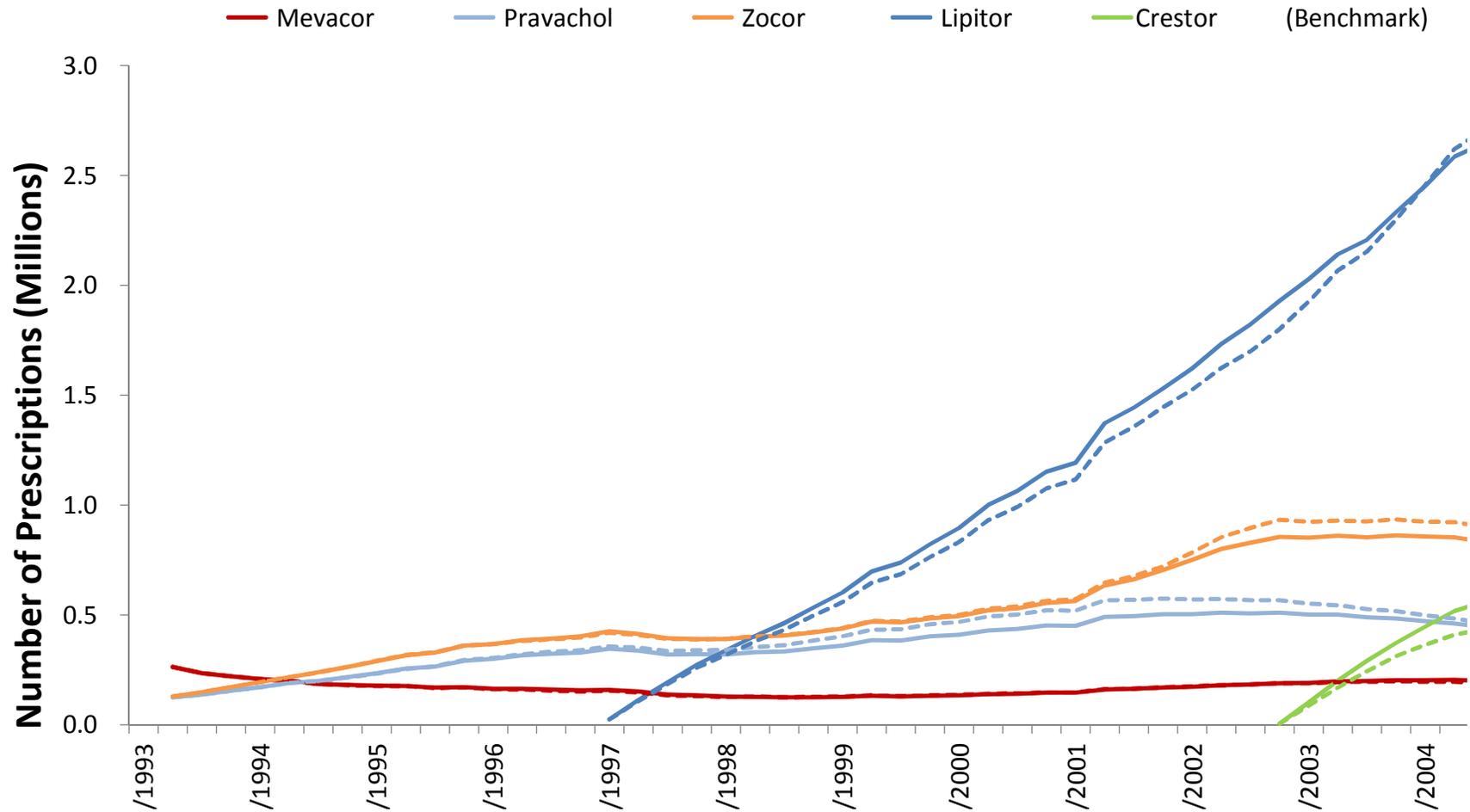
Expt 1: No Landmark Trials for Lipitor

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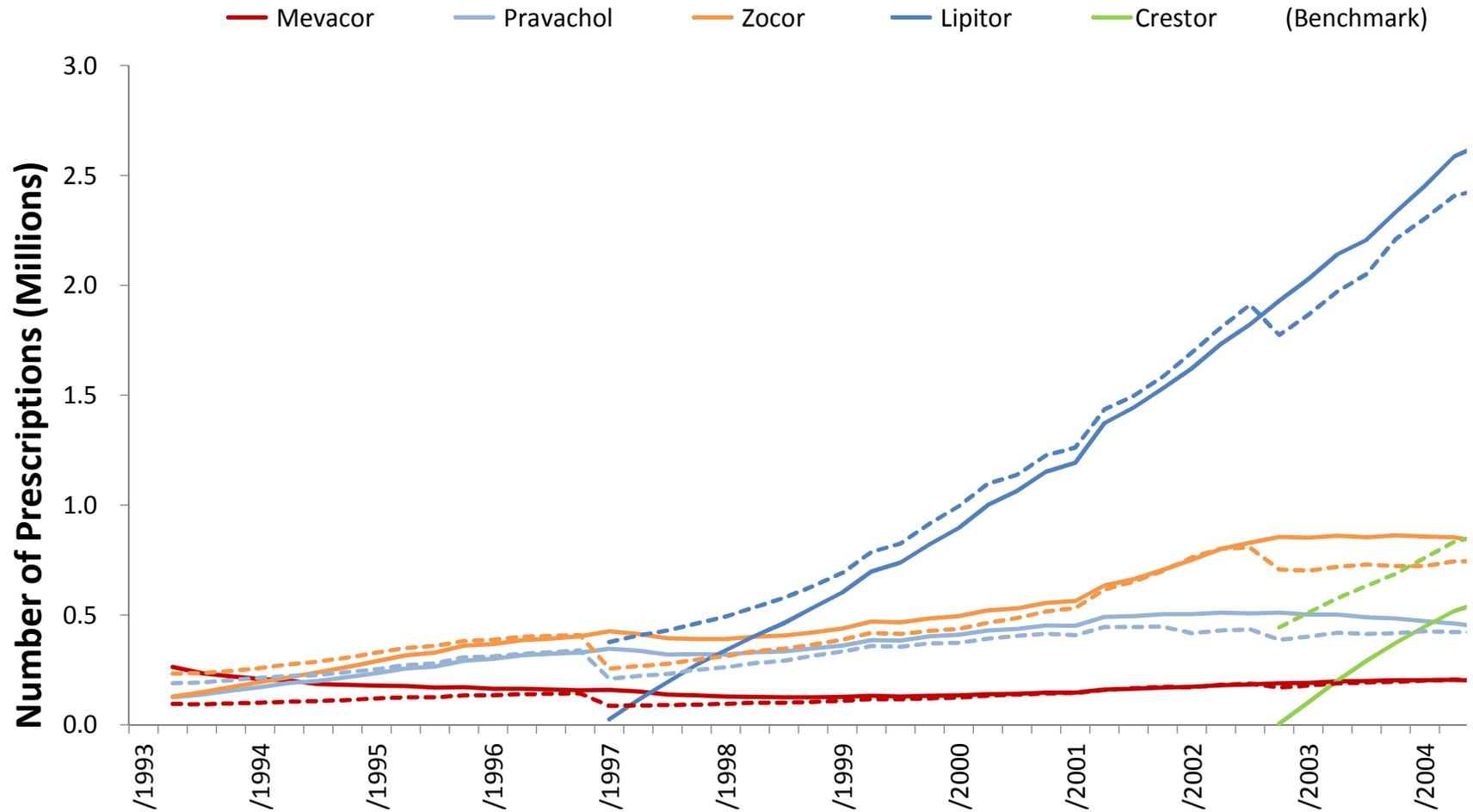
Expt 2: No Correlated Learning

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Expt 3: No Switching Cost

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Conclusion



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- Our results suggest that late mover advantages can be generated by correlated learning.
- Although Lipitor can free-ride on incumbents' clinical trials, its own clinical trial is still significant for demand.
- This model can be extended to other markets where product qualities are uncertain, e.g., iPad vs Android tablet.